

EVIDEN

Hands-on: near-term and long-term algorithms for chemistry

CEMRACS 2025

Thomas Ayral
Eviden Quantum Lab
July 16th, 2025

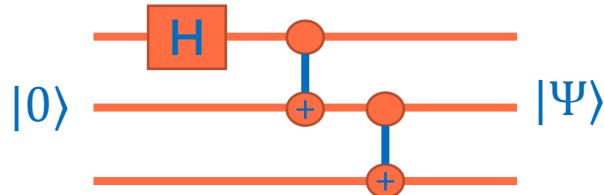
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an atos business

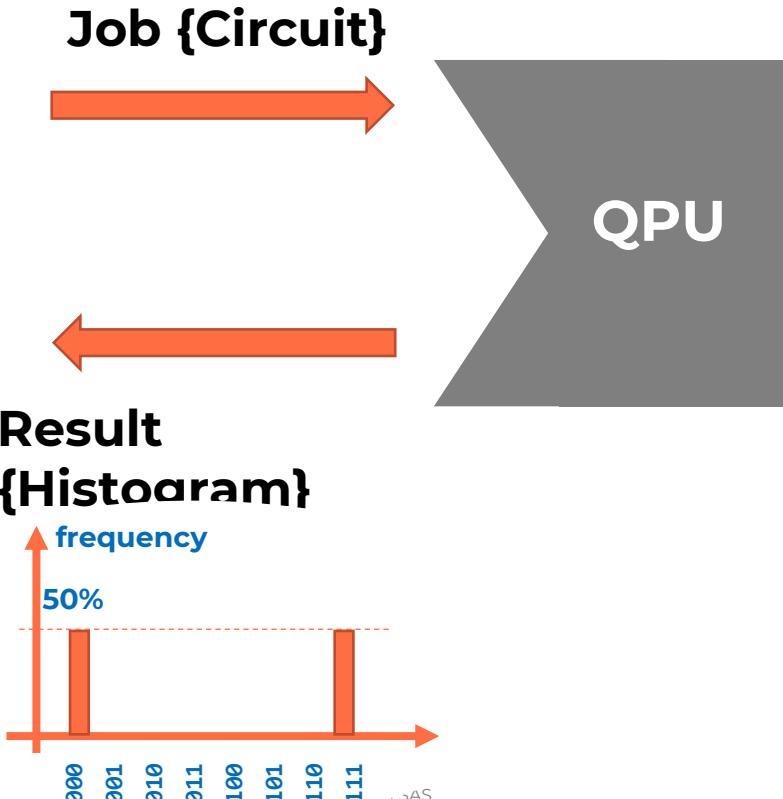
The QLM's key components

Jobs and QPUs

A basic quantum computation:



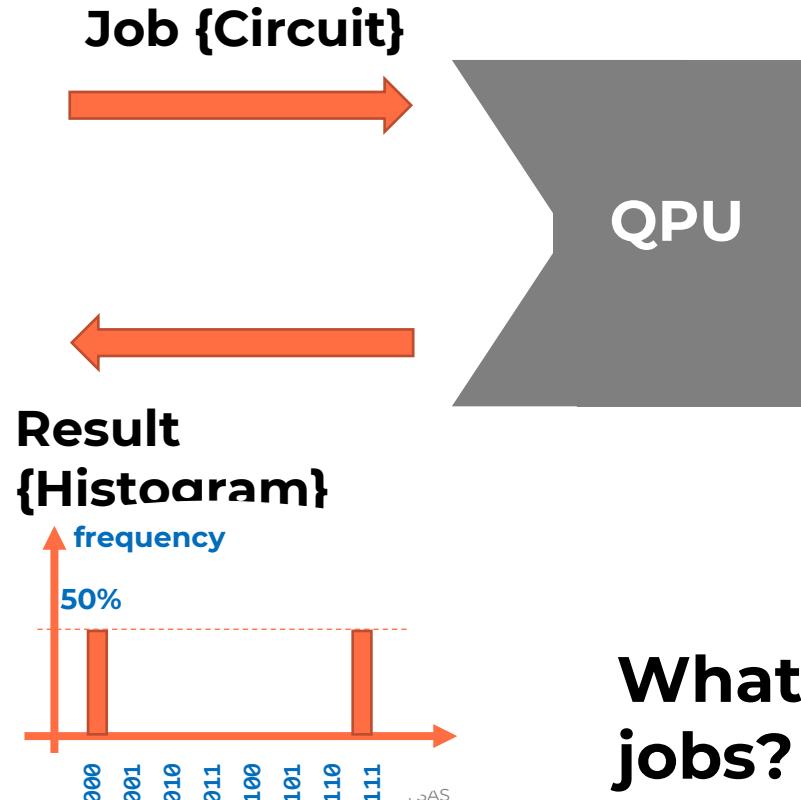
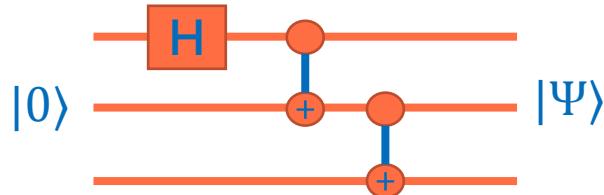
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job = circ.to_job()  
res = qpu.submit(job)  
for sample in res:  
    print(sample.state, sample.probability)
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The QLM's key components

Jobs and QPUs

A basic quantum computation:



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What about more complex jobs?

More complex jobs (I)

Observables

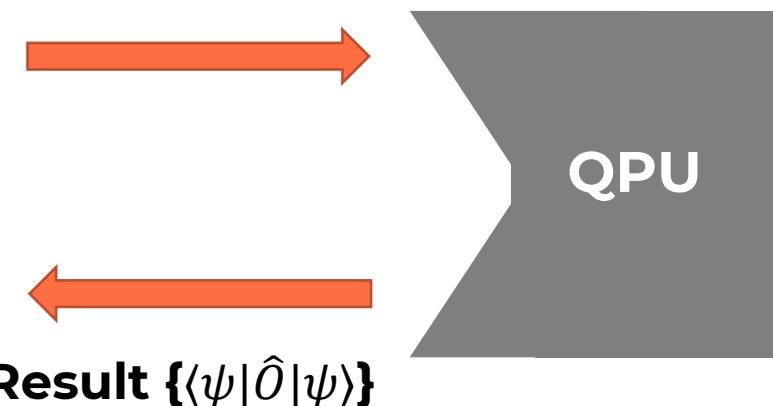
Most computations: computing/minimizing an observable:

- E.g combinatorial optimization,

$$\hat{O} = \sum_{ij} J_{ij} Z_i Z_j$$

- E.g chemistry: Hamiltonian $\hat{O} = \hat{H}$

Job {Circuit, Observable}



```
job = circ.to_job(observable=my_hamiltonian)
res = qpu.submit(job)
print(res.value) #<psi|H|psi>
```

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More complex jobs (I)

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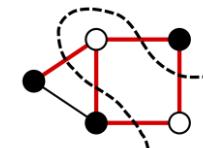
Result $\{\langle\psi|\hat{O}|\psi\rangle\}$



Qaptiva: libraries to generate quantum jobs for many application areas

- Optimization libraries (MaxCut, etc)

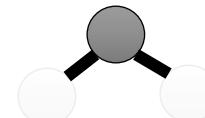
Graph



Job {Circuit, Observable}

- Chemistry, materials science libraries (myQLM-fermion)

Molecule



Job {Circuit, Observable}

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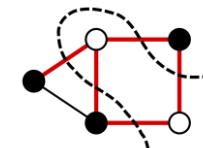


Minimization?
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Qaptiva: libraries to generate quantum jobs for many application areas

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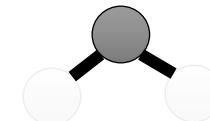
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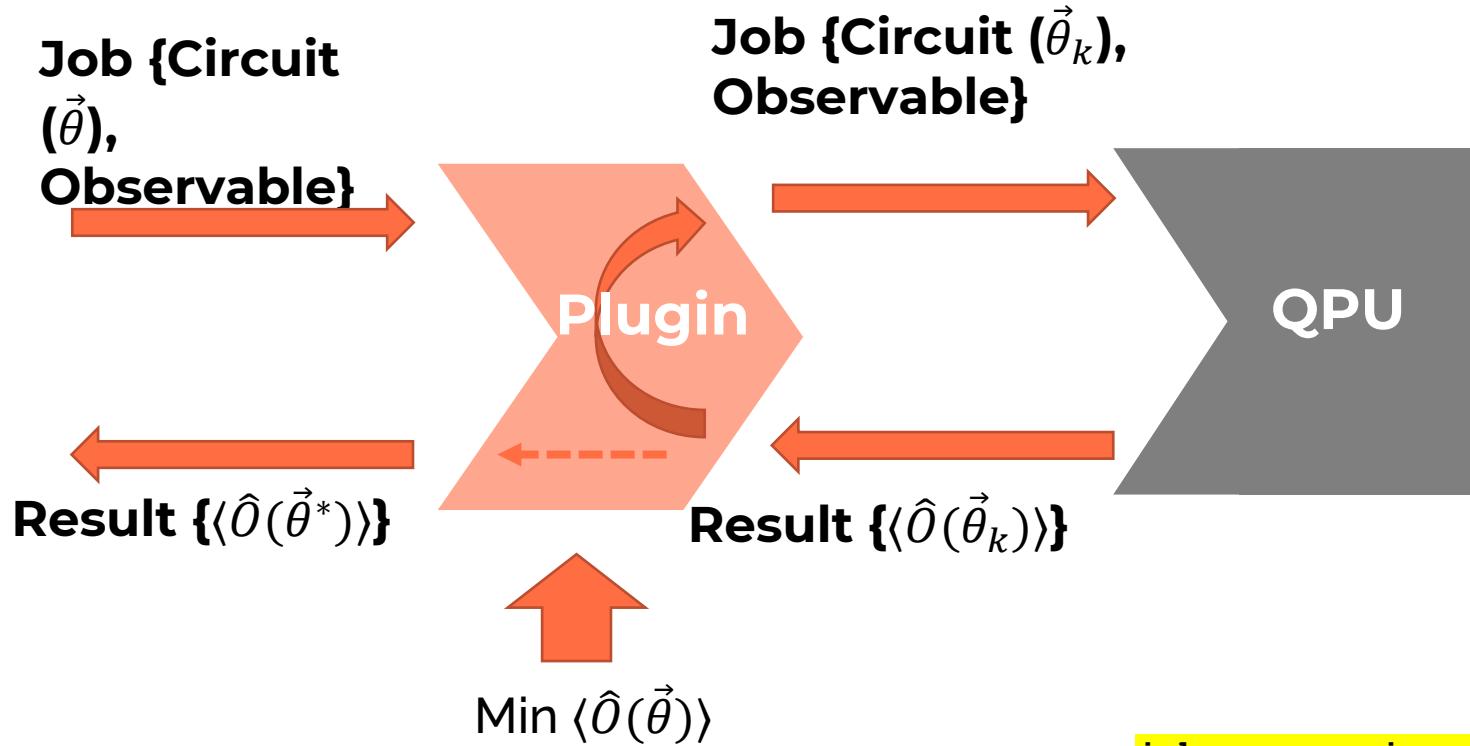


Job {Circuit, Observable}

More complex jobs (II)

Minimizing observables

Many problems: minimize $\langle \psi(\vec{\theta}) | \hat{O} | \psi(\vec{\theta}) \rangle$ (VQE, QAOA...)

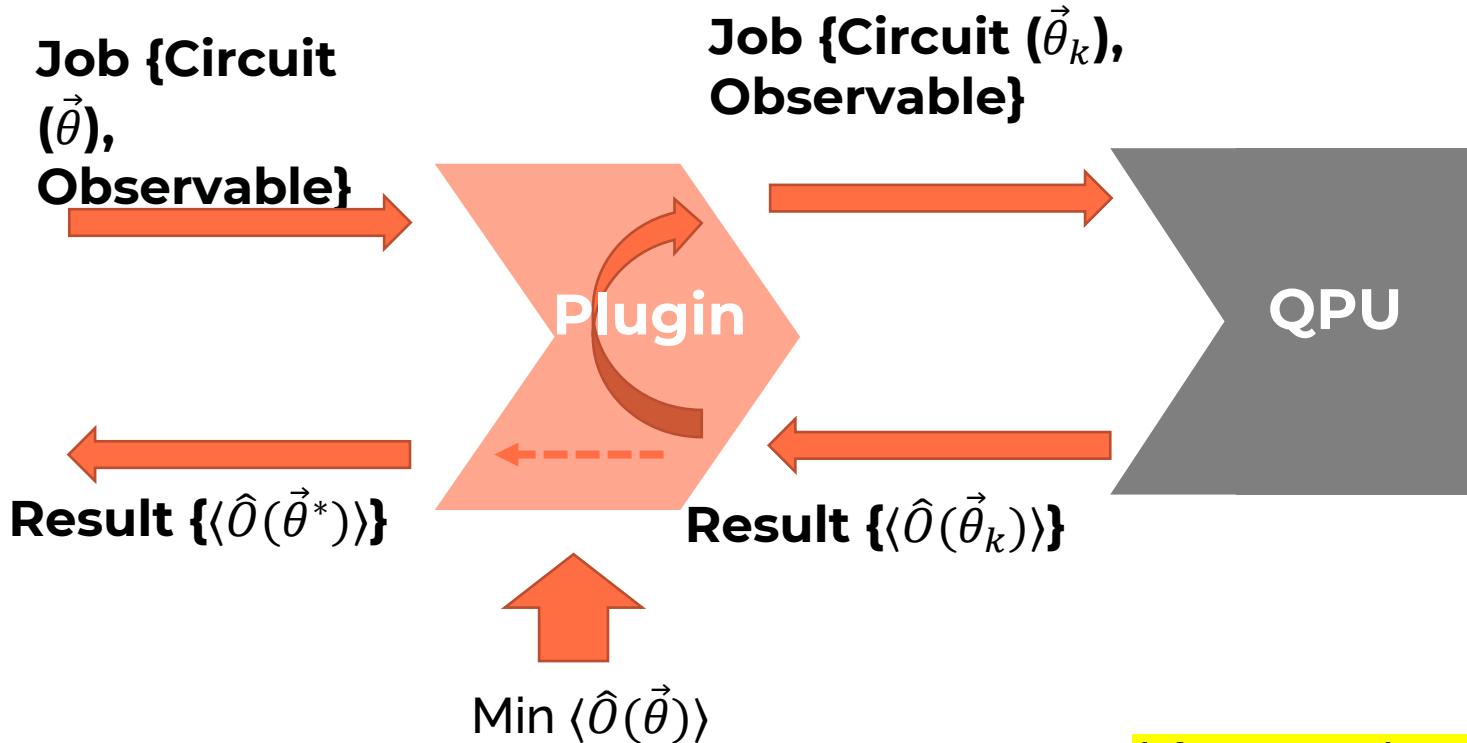


```
job = var_circ.to_job(observable=my_obs)
stack = plugin | qpu
res = stack.submit(job)
print(res.value) #<psi(theta*)|O|psi(theta*)>
```

More complex jobs (II)

Minimizing observables

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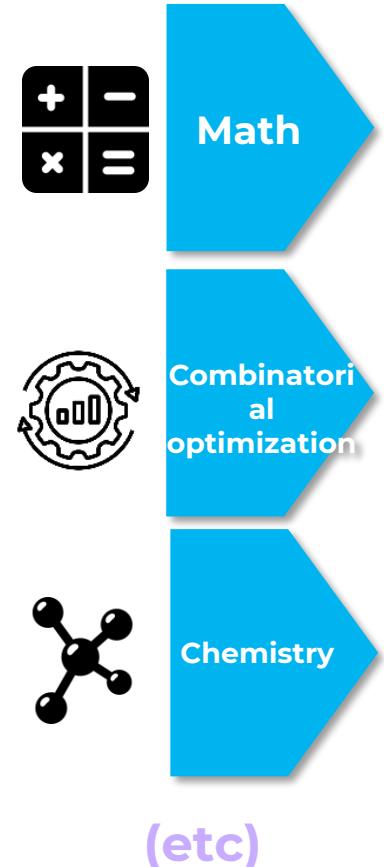
Many classical optimization plugins:

- Scipy wrappers (COBYLA, BFGS)
- Gradient-free custom plugins: SPSA, Particle-Swarm Optimizer...
- Gradient-based optimization
- Natural gradient
- Etc.

```
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A Qaptiva computation in a nutshell

(1) Pick your application

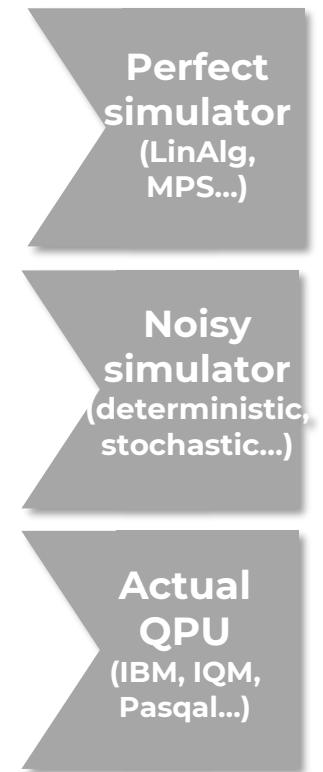


A Qaptiva computation in a nutshell

(1) Pick your application

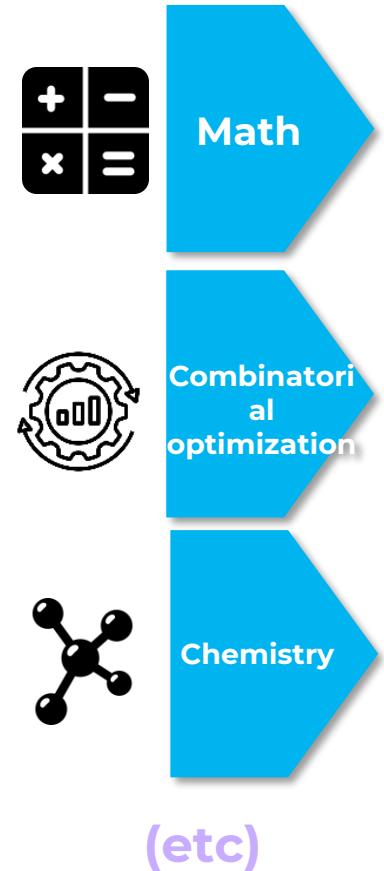


(2) Pick your QPU

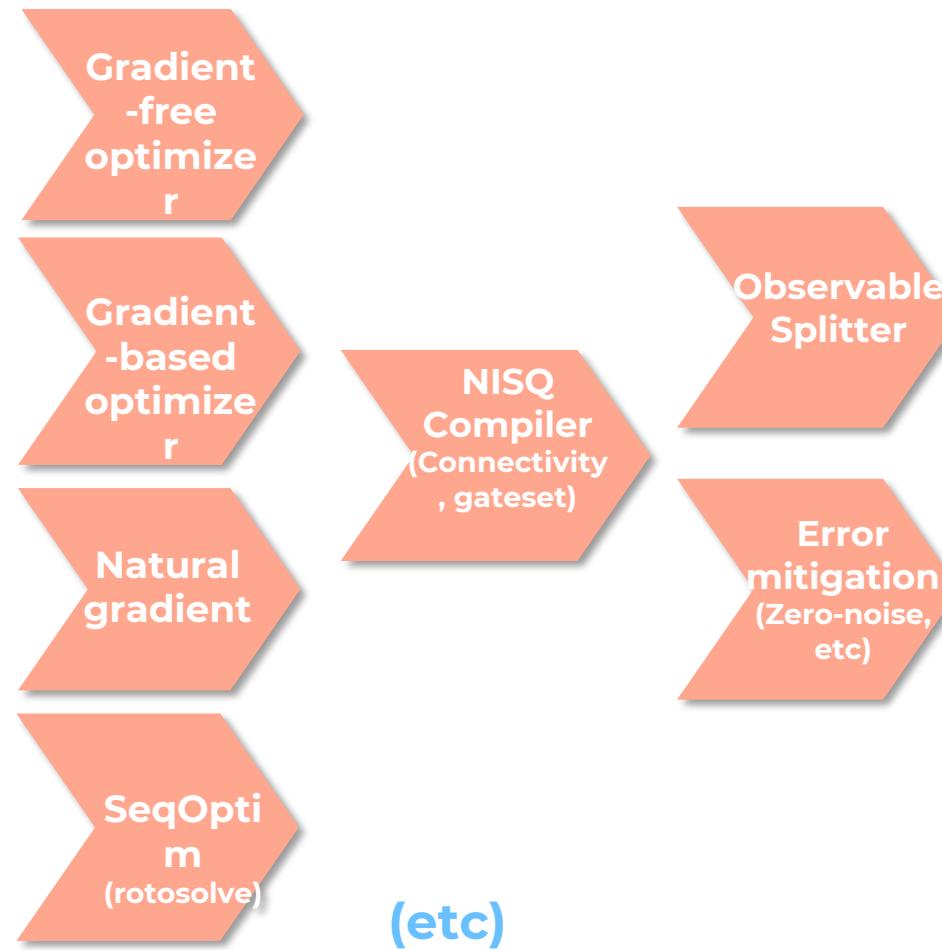


A Qaptiva computation in a nutshell

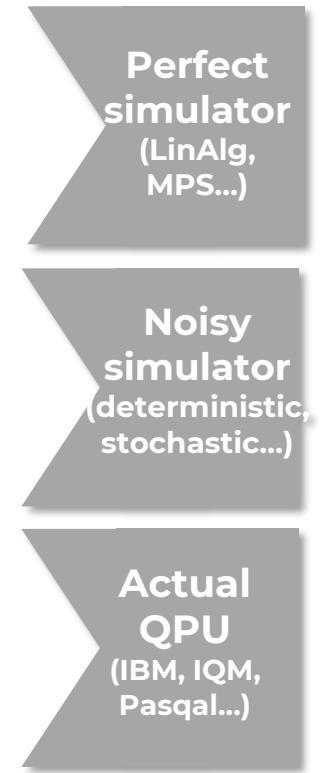
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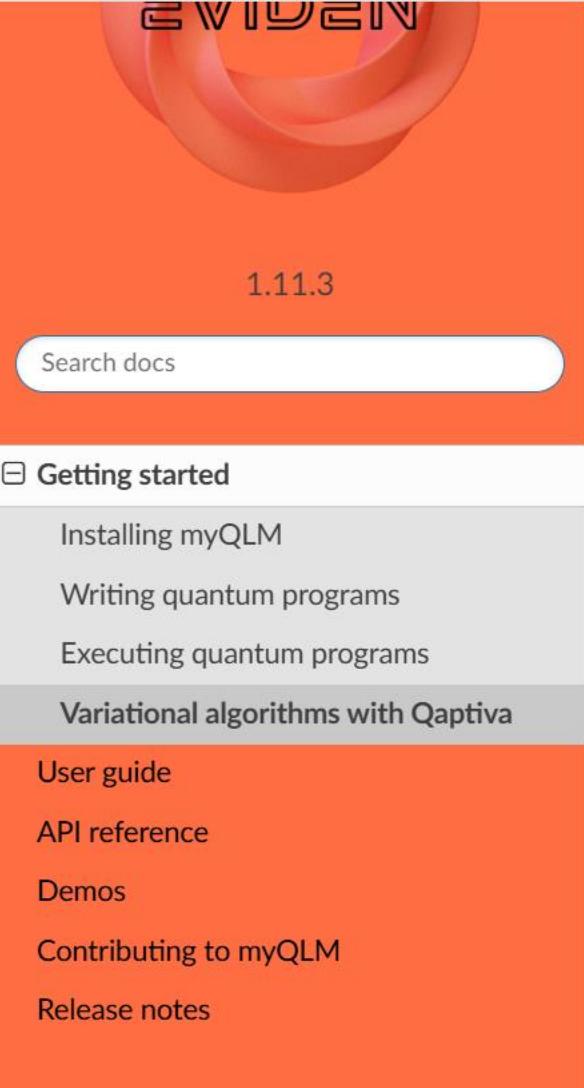


(3) Pick your plugins



(2) Pick your QPU





The screenshot shows the left sidebar of the myQLM documentation. At the top is the Eviden logo. Below it is the version number "1.11.3". A search bar contains the placeholder "Search docs". The sidebar menu includes sections like "Getting started" (with "Installing myQLM", "Writing quantum programs", "Executing quantum programs", and "Variational algorithms with Qaptiva" highlighted), "User guide" (with "API reference", "Demos", "Contributing to myQLM", and "Release notes").

Variational algorithms with Qaptiva

Variational algorithms are believed to be well suited to Noisy, Intermediate-Scale Quantum (NISQ) processors as they do not necessarily require long circuits to nevertheless prepare powerful ansatz states.

In the code snippet below, we illustrate how this can be used to write such variational algorithms in a few lines of code: we first define the Hamiltonian H (here the antiferromagnetic Heisenberg Hamiltonian) whose ground-state energy we want to approximate. We then define the ansatz circuit, i.e a parametric circuit with parameters θ_i to be optimized. Finally, our quantum stack is composed of a QPU (here a simulator) and a so-called “plugin” that is going to perform the iterative optimization of the parameters given the ansatz circuit and the observable to be minimized.

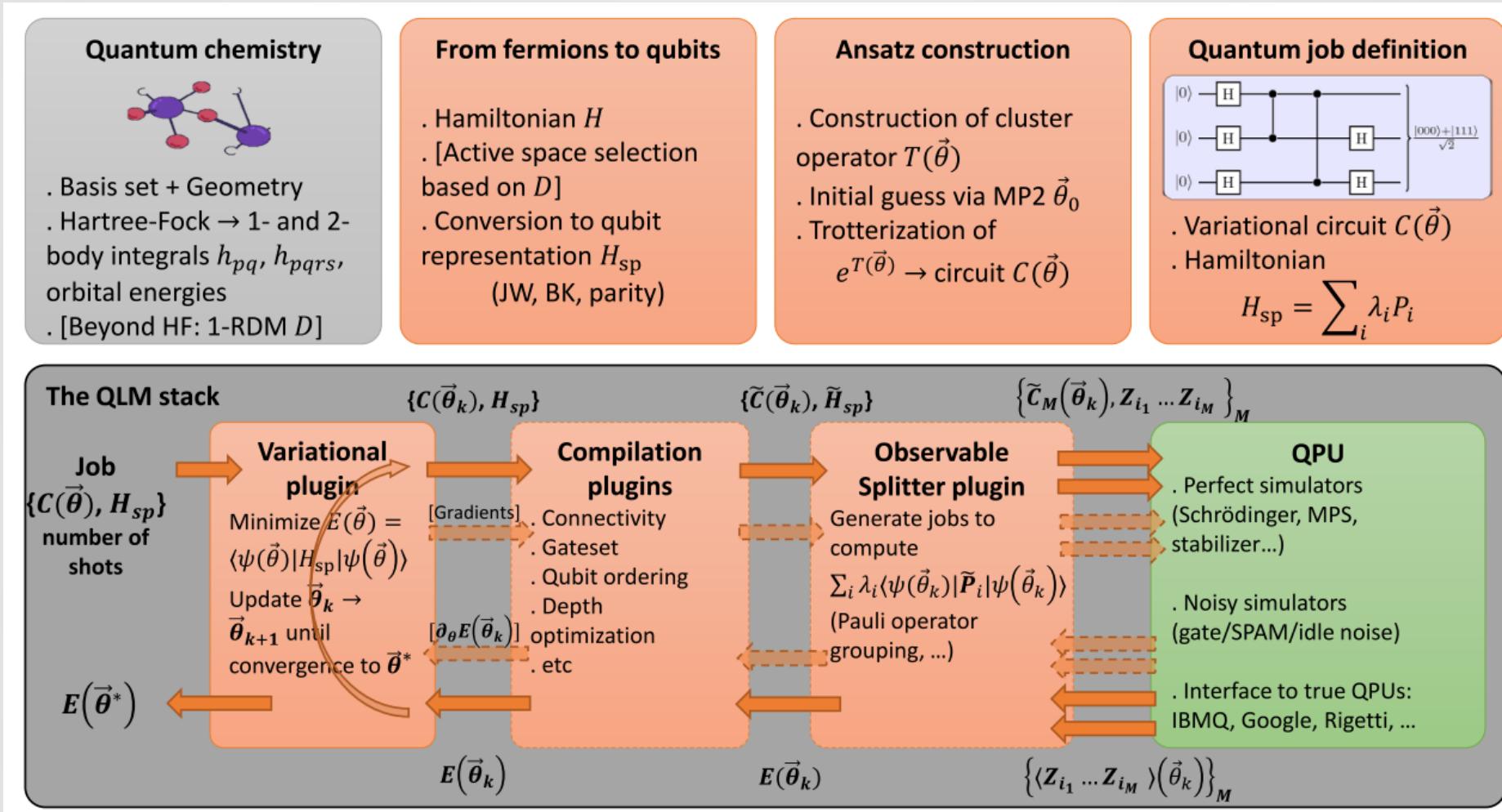
Functional mode Sequential mode

```
from qat.core import Observable as Obs, Term
from qat.lang import Program, RY, CNOT
from qat.qpus import get_default_qpu
from qat.plugins import ScipyMinimizePlugin

# we instantiate the Hamiltonian we want to approximate the ground state energy of
hamiltonian = (
    Obs.sigma_z(0) * Obs.sigma_z(1)
    + Obs.sigma_x(0) * Obs.sigma_x(1)
    + Obs.sigma_y(0) * Obs.sigma_y(1)
)
```

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myQLM-fermion



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Thank you

thomas.ayral@eviden.com

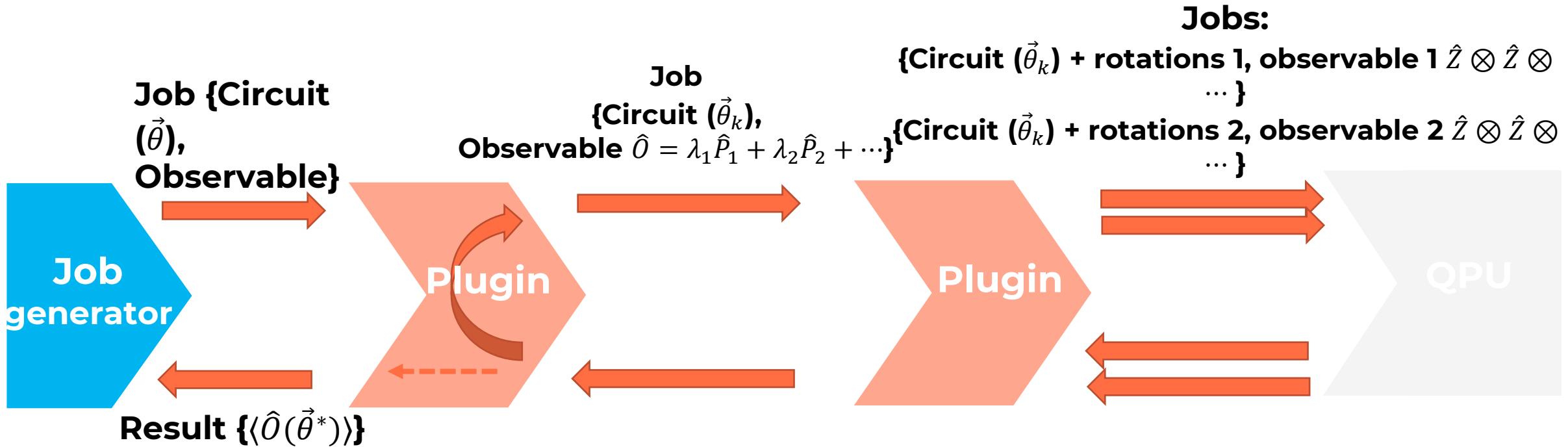
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Taking into account limited available observables

ObservableSplitter plugin

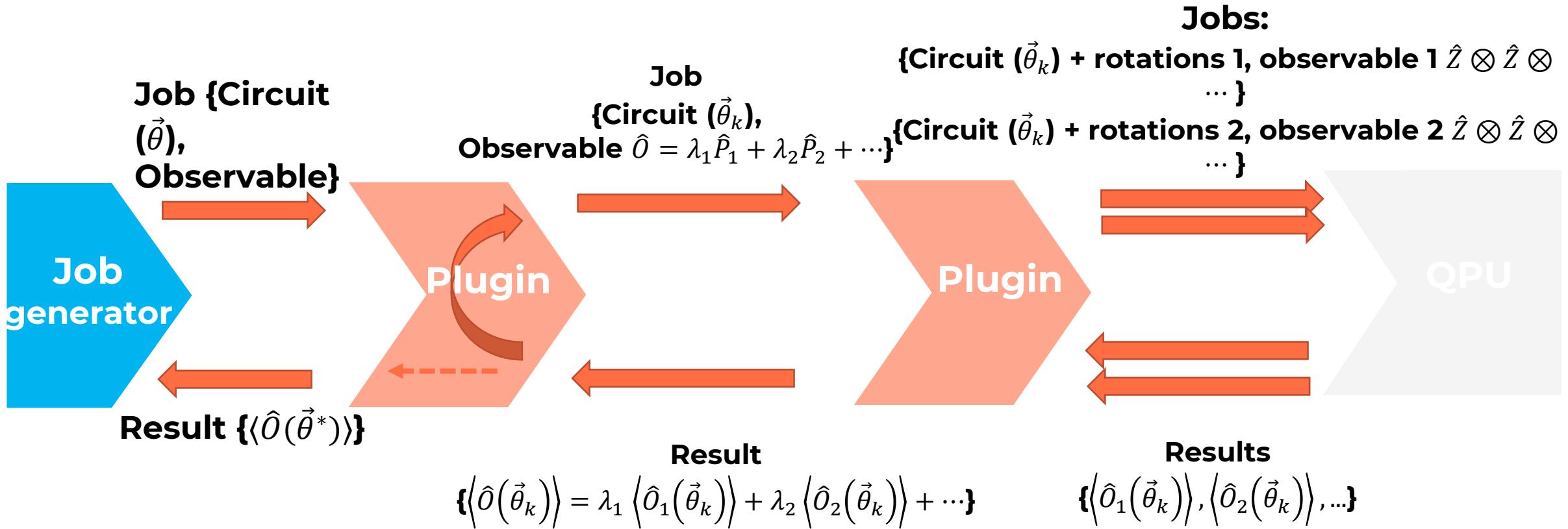
Most QPUs: can measure only $\hat{Z} \otimes \hat{Z} \otimes \dots$ observables...



Taking into account limited available observables

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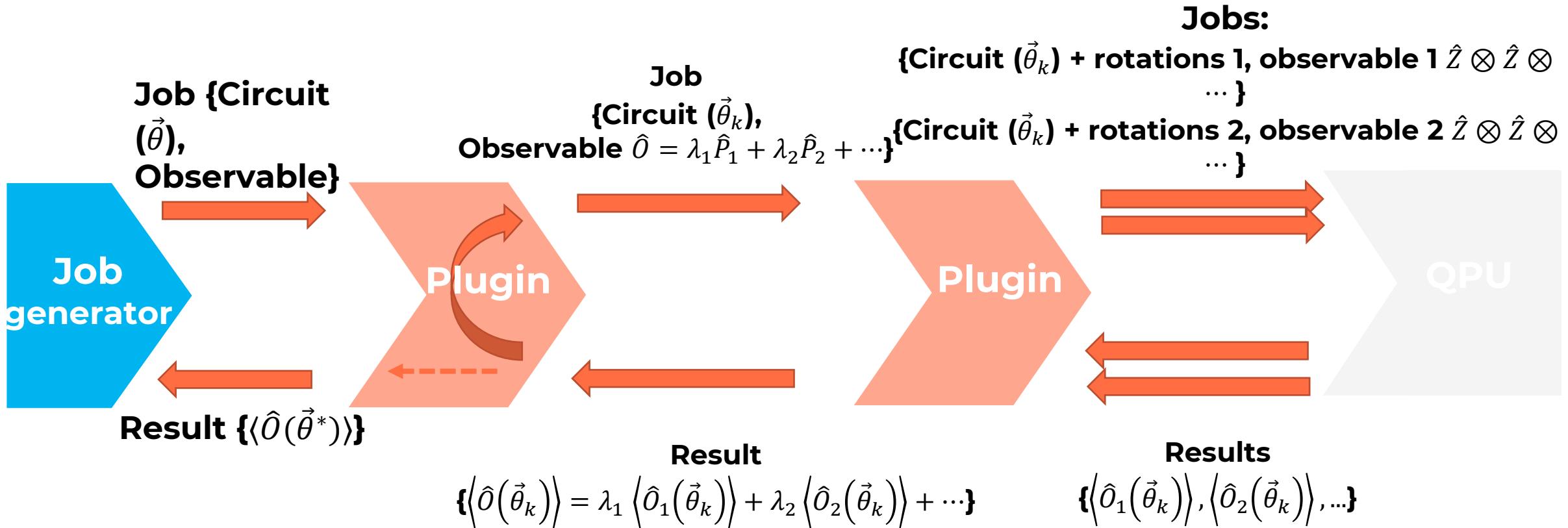
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Taking into account limited available observables

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**Adapt variational circuit
iteratively?**

Adaptive construction of the variational circuit

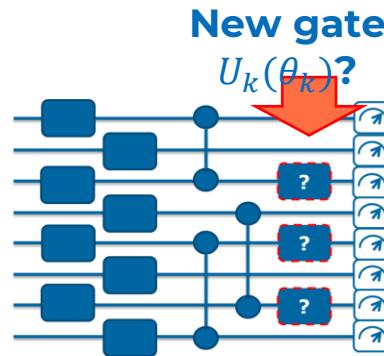
Grimsley '19

AdaptVQE plugin

Build ansatz circuit iteratively:

At each step: pick gate $U(\theta)$

that maximizes gradient $\frac{d}{d\theta}\langle\psi|U^\dagger(\theta)HU(\theta)|\psi\rangle$



Adaptive construction of the variational circuit

Grimsley '19

AdaptVQE plugin

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